

BEST-FIRST

Inputs search problem $\langle X, S, G, \mathcal{T}, c \rangle$
 evaluation function e
Output (path to) goal node
Initialize $O = S$ is the list of open nodes

while (O is not empty) **do**

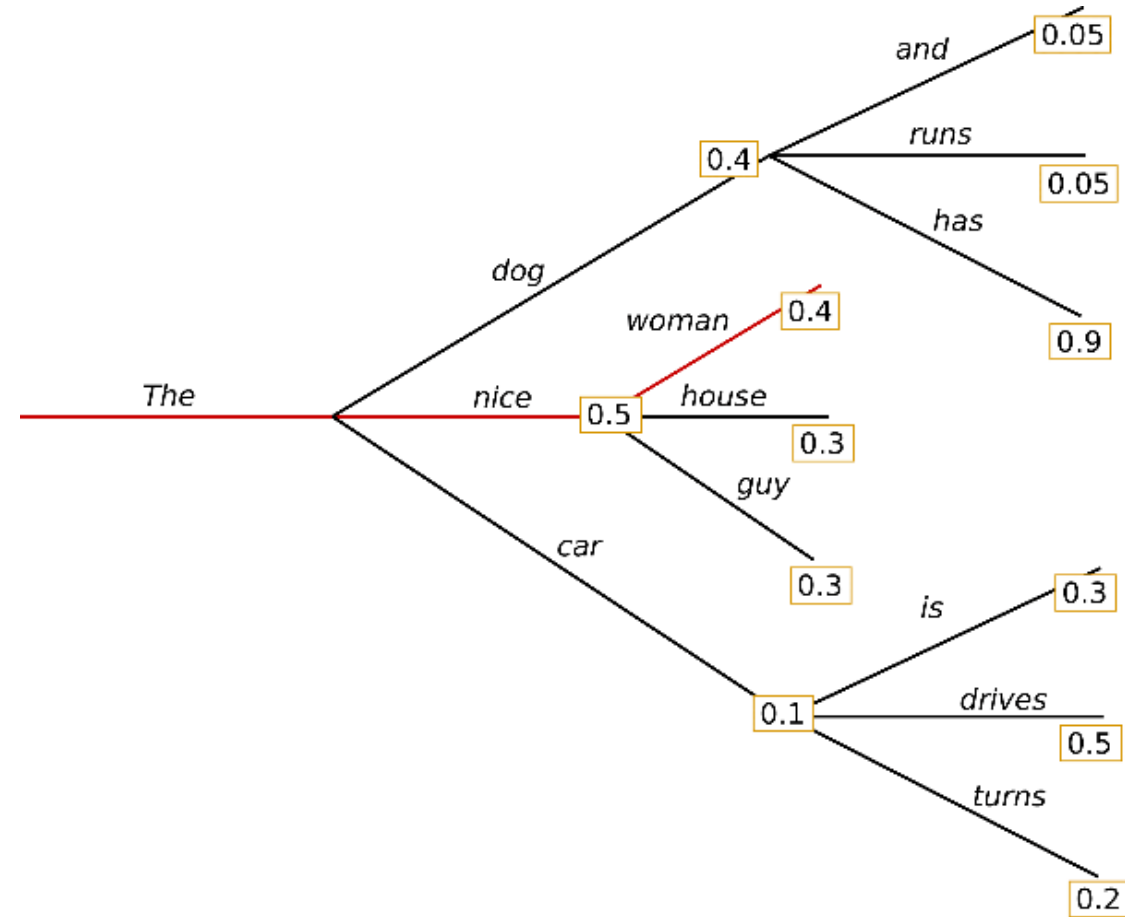
1. delete node $n \in O$ s.t. $e(n)$ is minimal
2. if $n \in G$, return (path to) n
3. for all $m \in \mathcal{T}(n)$
 - (a) compute $e(m)$
 - (b) insert m into O with priority $e(m)$

fail

Language Modelling

Standard Language Modelling selects “top-p” at each node (i.e., greedily selects the most likely next word)

Can we find a more likely continuation?



What is $g(n)$ for every node?
What order will best-g explore the maze?

			S			
G						

What is $g(n)$ for every node?
What order will best-g explore the maze?

3	2	1	S	1	2	3
4	5	6	7	6	5	4
G	10	9	8	7	6	5

If we use the Manhattan distance as h ,
What is $h(n)$ for each node n ?
What order will best- h explore the
maze?

			S			
G						

If we use the Manhattan distance as h ,
What is $h(n)$ for each node n ?
What order will best- h explore the maze?

2	3	4	S	6	7	8
1	2	3	4	5	6	7
G	1	2	3	4	5	6

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

			S			
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

$g(n)$

3	2	1	S	1	2	3
4	5	6	7	6	5	4
G	10	9	8	7	6	5

$h(n)$

2	3	4	S	6	7	8
1	2	3	4	5	6	7
G	1	2	3	4	5	6

$f(n)$

5	5	5	S	7	9	11
5	7	9	11	11	11	11
G	11	11	11	11	11	11

How will A* search, using Manhattan distance as a heuristic explore the maze?

What is $f(n)$ at each node n ?

What happened here?

$g(n)$

3	2	1	S	1	2	3
4	5	6	7	6	5	4
G	10	9	8	7	6	5

$h(n)$

2	3	4	S	6	7	8
1	2	3	4	5	6	7
G	1	2	3	4	5	6

$f(n)$

5	5	5	S	7	9	11
5	7	9	11	11	11	11
G	11	11	11	11	11	11

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

		5	S	7		
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

	5	5	S	7		
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7		
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7		
5						
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

Tie, either node can be expanded first

5	5	5	S	7		
5	7					
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7		
5	7	9				
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7	9	
5	7	9				
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7	9	
5	7	9	11			
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7	9	11
5	7	9	11			
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7	9	11
5	7	9	11	13		
G						

How will A* search, using Manhattan distance as a heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7	9	11
5	7	9	11	13		11
G						

How will A* search, using
Manhattan distance as a
heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7	9	11
5	7	9	11	13	11	11
G						

How will A* search, using Manhattan distance as a heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7	9	11
5	7	9	11	13	11	11
G						

Old $g(n)=8$, new $g(n)=6$

How will A* search, using Manhattan distance as a heuristic explore the maze?

What is $f(n)$ at each node n ?

5	5	5	S	7	9	11
5	7	9	11	11	11	11
G						

Old $g(n)=8$, new $g(n)=6$

How will A* search, using Manhattan distance as a heuristic explore the maze?

What is $f(n)$ at each node n ?

- Each node needs to keep track of its predecessor to reconstruct the path.
- You must also keep track of $g(n)$ for each node.
- If n is multiple times and $g(n)$ is lower than the first time, you must update $g(n)$ and its predecessor)

5	5	5	S	7	9	11
5	7	9	11	11	11	11
G	11	11	11	11	11	11